

AP Chem - Unit 3 - Gases Test

Key

14 MC
3 pts each = 42 pts

~~1000 pts~~
✓ 97 pts 3 FR
1 - 25 3 - 10 55
2 - 20 = 60 pts

MULTIPLE CHOICE

1 ANS: C

$PV = nRT$, but we have 3 constants: volume (rigid container), temperature, and R . So, this simplifies to $P \propto n$, so the pressure for each gas depends on the number of moles of each gas AND equal masses of each gas were placed in the container, so P really depends on the molar mass of each gas. Also note the gases are "ideal". Thus collisions are elastic and IMFs are neglected.

$$PV = nRT$$

$$P = \frac{nRT}{V}$$

R, T, V constant

$$P \propto n$$

$$n = \frac{\text{mass}}{\text{molar mass}}$$

$$P \propto \frac{\text{mass}}{\text{molar mass}}$$

DIF: Medium OBJ: 1.4 NAT: 7.1

TOP: Gas Laws

KEY: ideal | gas | pressure | Avogadro's Law

NOT: 54% answered correctly

2 ANS: A

Since the volume of the three original flasks are equal, the pressures are proportional to the number of molecules in the containers, which are in the ratio of 2:1:6. The pressure in the first flask is given as 2 atm, therefore the pressures in the three containers are 2 atm, 1 atm, and 6 atm, respectively. If these were combined into a single flask with a volume equal to that of the original vessels (1 liter), the total pressure would be the sum of these partial pressures, corresponding to 9 atm. Since the final flask has a volume of 3 liters, which lowers the pressure by a factor of 3, to 3 atm.

$$P = \frac{n}{V}$$

when R, T, V constant
new $V = 3$

$$P = \frac{2n + 1n + 6n}{3} = \frac{9n}{3}$$

$$P = 3 \text{ atm}$$

DIF: Medium OBJ: 2.5 NAT: 1.3 | 6.4 TOP: Gases

KEY: gases | gas laws | ideal gas law | Dalton's Law of Partial Pressure

3 ANS: C

Expect easy math!

When density (or density data) is given and molar mass (weight) is required, think "molar mass kitty cat". You know, "every good cat puts 'dirt' over its 'pee' (Apologies!):

$$MM = \frac{dRT}{P} = \frac{\left(\frac{2 \text{ g}}{1 \text{ L}}\right) R (127 + 273 \text{ K})}{3 \text{ atm}} = \frac{(2)(400)R}{3} = \frac{800}{3} R$$

$$D = 2.0 \text{ g/L}$$

$$P = 3.0 \text{ atm}$$

$$T = 127^\circ \text{C} + 273 = 400$$

$$n =$$

$$PV = nRT$$

$$PV = \frac{\text{mass}}{MM} RT$$

$$n = \frac{\text{mass}}{MM}$$

$$D = \frac{\text{mass}}{V}$$

$$MM = \frac{\text{mass} RT}{PV}$$

$$MM = \frac{DRT}{P}$$

or
molar Kitty

$$mmolar = \frac{DRT}{P}$$

DIF: Easy OBJ: 2.6 NAT: 2.2 | 2.3 TOP: Gas Laws

KEY: molar mass of gas | density of gas NOT: 75% answered correctly

$$mm = \frac{DRT}{P}$$

$$= \frac{(2) R 400}{3}$$

$$mm = \frac{800}{3} R$$

4. ANS: C

$$PV = nRT \therefore n = \frac{PV}{RT} = \frac{g}{MM} \therefore \frac{MM}{g} = \frac{RT}{PV} \therefore MM = \frac{gRT}{PV} = \frac{[(3.0)(0.08)(400)]}{[(1.0)(1.5)]}$$

DIF: Easy OBJ: 1.2 NAT: 2.2 TOP: Gas Laws
KEY: ideal gas law | molar mass NOT: 81% answered correctly

5. ANS: D

"Effuse" is simply diffuse through a small opening. So, the heaviest molecule will effuse the slowest. HBr has the highest molecular mass (about 80 g/mol), thus it is the slowest to effuse.

DIF: Medium OBJ: 2.4 NAT: 1.4 | 6.4 TOP: Gas Laws | Gases
KEY: Graham's Law of Effusion KMT | rate of effusion | molar mass of gas
NOT: 62% answered correctly

6. ANS: B

Once the water level inside the tube is equilibrated with the water level in the trough, it is safe to assume the total pressure within the tube is equal to atmospheric pressure of the lab room.

So, the P of the H₂ gas collected + the P of the water vapor within the tube = 765.5 mm Hg. Next, we perform a simple subtraction of the pressure of the water vapor to determine the pressure attributed to *just* the hydrogen gas collected.

$\therefore 765.5 \text{ mm Hg} - 21.1 \text{ mm Hg}$ of water contributing to the total P = 744.4 mm Hg is exerted by the H₂ gas *alone*.

DIF: Easy OBJ: 2.6 NAT: 2.2 | 2.3 TOP: Gas Laws
KEY: Dalton's Law | dry gas | partial pressures | wet gas | lab

7. ANS: D

Once the water level inside the tube is equilibrated (leveled) with the water level in the trough, it is safe to assume the total pressure within the tube is equal to atmospheric pressure of the lab room. There's no easy way to measure the pressure *within* the tube AND the measured volume of the gas will *change* during the leveling process. If you fail to level the two, then your recorded volume of H₂ gas collected will be flat incorrect! While answer (B) is enticing, the volume is measured at room temperature, whether the levels are equal or not

DIF: Hard OBJ: 2.6 | 2.4 NAT: 2.2 | 2.3 | 1.4 | 6.4
TOP: Gases | Lab KEY: Dalton's Law | dry gas | wet gas | lab

8. ANS: B

Expect easy math!

Rxn:	F ₂	+	Xe	→	Xe _x F _y
Initial:	8.0 atm		1.7 atm		0
After:	4.6 atm*		0		

So subtract! And you realize that 3.4 atm of F₂ reacted AND 1.7 atm of the Xe reacted which is a 2 F₂ : 1 Xe ratio which is equivalent to a 4 F : 1 Xe ratio or XeF₄

DIF: Hard OBJ: 3.3 NAT: 2.2 | 5.1 TOP: Gas Laws
KEY: stoichiometry | partial pressure | molecular formula NOT: 38% answered correctly

9. ANS: C

"Rigid" is code for constant volume. The pressure would increase due to the increased number of molecules colliding with the container. Since the temperature is held constant the average KE of the molecules remains the same and since their mass remains constant (only oxygen in the tank), their velocity also remains constant (correct answer). If you added oxygen to the tank you increased the total number of molecules within the tank so obviously the number of molecules could not remain the same.

DIF: Medium OBJ: 1.4
KEY: kinetic molecular theory

NAT: 7.1 TOP: Gas Laws
NOT: 54% answered correctly

10. ANS: A

Light gas molecules move faster than heavy ones. So, He moved out quickest, with Ne in second place and Ar dragging up the rear. That left more Ar in the container to exert a greater pressure (more molecules colliding with the container) with Ne being in the middle and He having the fewest molecules remaining, thus exerting the least pressure. So, P_{He} is less than P_{Ne} which is less than P_{Ar} .

DIF: Medium OBJ: 2.4 NAT: 6.4 | 1.4
KEY: partial pressure | effusion | rate of effusion

TOP: Gas Laws
NOT: 65% answered correctly

11. ANS: D

Temperature is a function of the KE_{avg} of the molecules and since all 3 gas samples are at the exact same temperature, they have identical KE_{avg} .

DIF: Easy OBJ: 5.2
KEY: average KE | KE avg | gases

NAT: 1.1 | 1.4 | 7.2 TOP: Gases | Kinetics

12. ANS: B

The density is proportional to the product of the pressure and the molar mass since V is the same for each gas in the "identical containers".

$P \times \text{molar mass} =$

Container A: $4 \times 16 = 64$

Container B: $2 \times 30 = 60$

Container C: $2 \times 58 = 116$

This product is greatest for container C and least for Container B

DIF: Hard OBJ: 2.6
KEY: average KE | KE avg | gases

NAT: 2.2

TOP: Gases | Kinetics

13. ANS: C

The kinetic molecular theory states that gases behave most ideally at high temperatures (since they have enough KE to avoid being attracted to each other and condensing) and low pressures (since they remain far enough apart to avoid being attracted to each other *and* their molecular volumes remain insignificant). So, shop for the highest T which are answers (C) & (D) coupled with the lowest P which is answer (C).

DIF: Hard OBJ: 2.4
KEY: kinetic molecular theory | behavior of gases

NAT: 1.4 | 6.4

TOP: Gas Laws

NOT: 37% answered correctly

14. ANS: A

I would call this an easy question, but you may call it a trick! If 2 samples are at the same temperature, their average molecular kinetic energy is the same since that's the definition of temperature! Over half the country missed this question.

DIF: Medium OBJ: 2.4
KEY: temperature | kinetic molecular theory | average kinetic theory
NOT: 47% answered correctly

NAT: 1.4 | 6.4

TOP: Gas Laws

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① Given:

① 66.50% C

6 pts

empirical Formula

Soln: $\left(\frac{66.50 \text{ g C}}{1} \right) \left(\frac{1 \text{ mole C}}{12.01 \text{ g C}} \right) = 5.54 \text{ mole C} / 5.54 = 1$

$\left(\frac{33.50 \text{ g H}}{1} \right) \left(\frac{1 \text{ mole H}}{1.008 \text{ g H}} \right) = 33.23 \text{ mole H}$
 $\frac{33.23}{5.54} = 5.998 \approx 6$



⑧ D = 2.0 g/L

$T = 50^\circ\text{C} + 273 = 323 \text{ K}$

$P = .948 \text{ atm}$

Soln:

i) $MM = \frac{DRT}{P} + 1$

$= \frac{(2.0 \text{ g/L})(0.08206 \text{ L atm / K mol})(323 \text{ K})}{.948 \text{ atm}}$

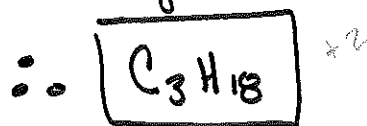
6 pts

ii) molecular Formula?

$\text{CH}_6 = 18.06 \text{ g/mole}$

$\boxed{MM = 56 \text{ g}} + 2$

$\left(\frac{56 \text{ g}}{1} \right) \left(\frac{1 \text{ mole}}{18.06 \text{ g}} \right) = 3.1 \approx 3 + 1$



④



Assume T = constant

10 pts

$\begin{array}{ll} 2.0 \text{ L} & 3.0 \text{ L} \\ 1.0 \text{ atm} & 2.0 \text{ atm} \\ 25^\circ\text{C} = 298 \text{ K} & 25^\circ\text{C} = 298 \text{ K} \end{array} + 1$

$P_T = P_{\text{N}_2} + P_{\text{O}_2}$

Total volume = 5.0 L + 1

10

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C
cont:



$$P_1 V_1 = P_2 V_2 \quad +1$$

$$P_2 = \frac{P_1 V_1}{V_2} = \frac{(1.0 \text{ atm})(2.0 \text{ L})}{5.0 \text{ L}} = .4 \text{ atm} \quad +2$$

or
 $n = \frac{PV}{RT}$
.082 m

O₂

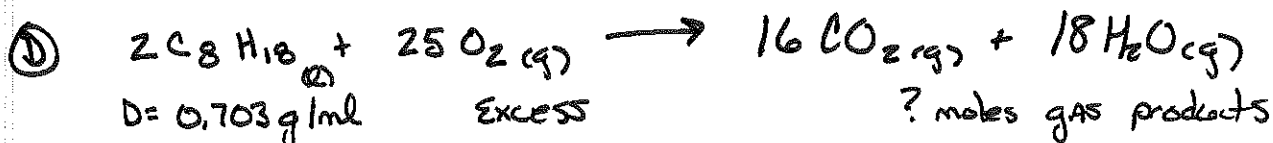
$$P_2 = \frac{P_1 V_1}{V_2} = \frac{(2.0 \text{ atm})(3.0 \text{ L})}{5.0 \text{ L}} = 1.2 \text{ atm} \quad +2$$

$n = .75 \text{ m}$

$$P_T = P_{N_2} + P_{O_2} = .4 \text{ atm} + 1.2 \text{ atm}$$

$$\boxed{P_T = 1.6 \text{ atm}} \quad +2$$

$P = \frac{nRT}{V}$
get same
atmosphere



$$T = 20^\circ\text{C} = 293\text{K}$$

$$V = 355 \text{ ml}$$

3 R's

$$\left(\frac{.703 \text{ g C}_8\text{H}_{18}}{\text{ml}} \right) \left(\frac{355 \text{ ml}}{1} \right) \left(\frac{1 \text{ mole C}_8\text{H}_{18}}{114.22 \text{ g C}_8\text{H}_{18}} \right) \left(\frac{34 \text{ mole gas products}}{2 \text{ mole C}_8\text{H}_{18}} \right)$$

+1

$$\boxed{= 37.1 \text{ moles Gas Products}}$$

+2

(2) Given:

$$V_{\text{flask}} = 843 \text{ mL} = .843 \text{ L}$$

$$T = 23^\circ\text{C} + 273 = 296 \text{ K}$$

$$P = 750. \text{ Torr} \left(\frac{1 \text{ atm}}{760 \text{ Torr}} \right) = .987 \text{ atm}$$

$$\text{MASS}_{\text{Flask} + \text{Air}} = 157.70 \text{ g}$$

$$\text{MASS}_{\text{Flask} + \text{gas}} = 158.08 \text{ g}$$

(A) ?g Air

soln.

$$d = \frac{m}{V} \quad +1$$

3/3

$$d = 1.18 \text{ g/L}$$

$$m = DV = \left(\frac{1.18 \text{ g}}{\text{L}} \right) (.843 \text{ L})$$

$$m = .995 \text{ g}$$

+2

(B) ?g of Flask

+1

3/3

$$M_{\text{Flask}} = M_{\text{Flask} + \text{Air}} - M_{\text{Air}} = 157.70 \text{ g} - .995 \text{ g}$$

$$M_{\text{Flask}} = 156.71 \text{ g}$$

+2

(C) ?g Gas

+1

3/3

$$M_{\text{Gas}} = M_{\text{Flask} + \text{Gas}} - M_{\text{Flask}} = 158.08 \text{ g} - 156.71 \text{ g}$$

$$M_{\text{Gas}} = 1.37 \text{ g}$$

+2

(D) MM? Gas

$$MM = \frac{dRT}{P} \quad +1$$

$$d = \frac{m}{V}$$

$$= \frac{mRT}{PV} = \frac{(1.37 \text{ g})(0.08206)(296 \text{ K})}{(.987 \text{ atm})(.843 \text{ L})}$$

$$MM = 40.0 \text{ g/mole}$$

+2

(E) ?% error if gas is CO_2 44.0 g/mole

$$\left| \frac{44.0 - 40.0}{44.0} \right| \times 100 = 9.09\% \text{ error}$$

(F)

(1) Stick in flask \Rightarrow less mass CO_2

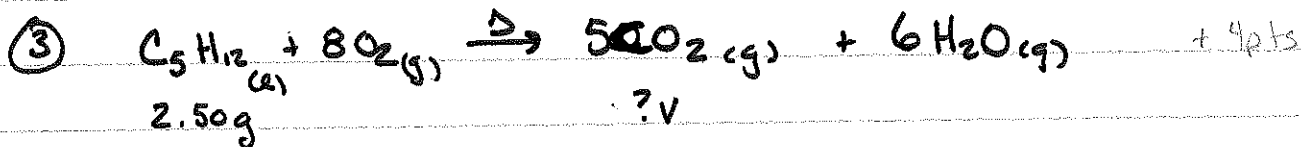
$\Rightarrow \frac{\text{smaller mass}}{\text{same MM}} = \text{smaller MM}$

larger % error

(2) Air 23°C , $\text{CO}_2 \downarrow 23^\circ\text{C} \Rightarrow \frac{mRT}{PV} = \text{MM}$ smaller MM larger % error

(3) Fill flask w/ water, measure liquid in graduated cylinder

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$$T = 25^\circ\text{C} = 298\text{K}$$

$$P(785\text{mm})\left(\frac{1.01\text{mm}}{760\text{mm}}\right) = 1.03\text{Atm}$$

$$\left(\frac{2.50\text{g C}_5\text{H}_{12}}{1}\right)\left(\frac{1\text{mole C}_5\text{H}_{12}}{72.15\text{g C}_5\text{H}_{12}}\right)\left(\frac{5\text{mole CO}_2}{1\text{mole C}_5\text{H}_{12}}\right) = .173\text{ mole CO}_2$$
 + 2pts

$$PV = nRT$$

$$V = \frac{nRT}{P} = \frac{(.173\text{mole CO}_2)(0.08206)(298\text{K})}{1.03\text{Atm}}$$

$$V = 4.11\text{L}$$

+ 2pts